



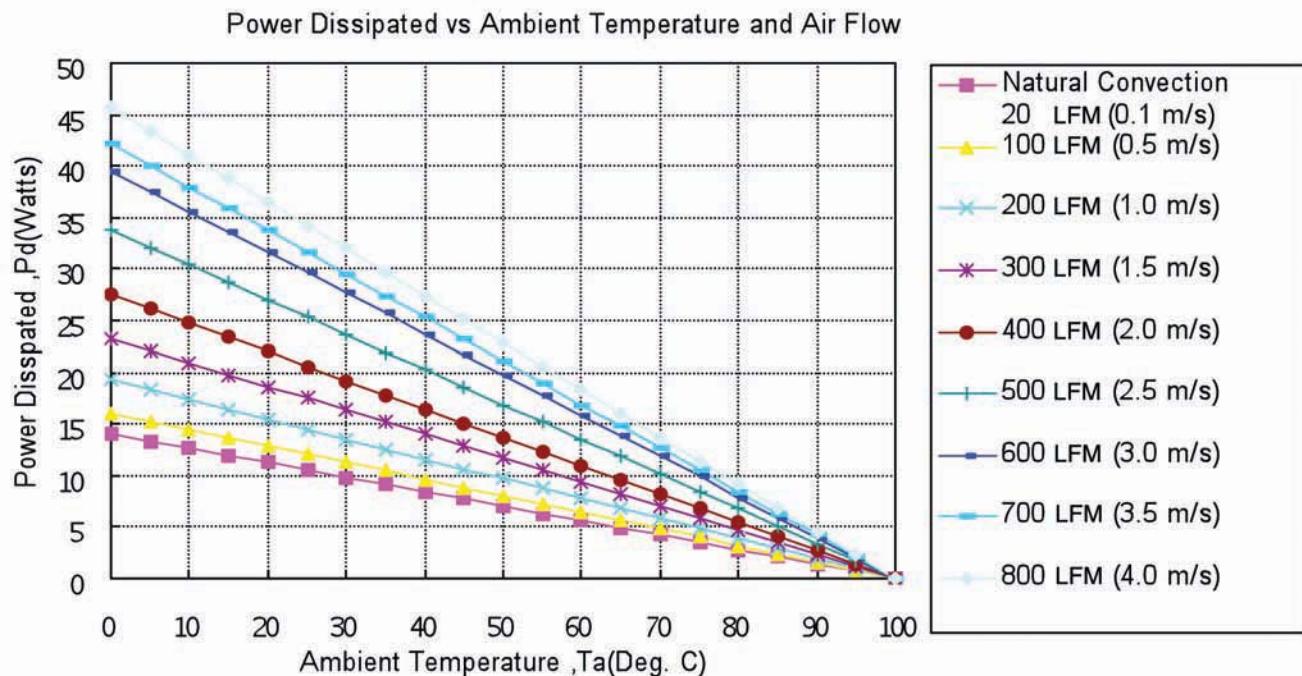
ICH50-150 Derating Curves



T H E X P E R T S I N P O W E R

Derating Curve

The following curve is the de-rating curve of ICH50-150 series without a heat sink.



Example

What is the minimum airflow necessary for a ICH7524S12 operating at nominal line, an output current of 6.25 A, and a maximum ambient temperature of 40 °C?

Solution:

Determine Power dissipation (P_d):

$$P_d = P_i - P_o = P_o(1-\eta)/\eta$$

$$P_d = 12 \times 6.25 \times (1-0.84) / 0.84 = 14.29 \text{ W}$$

Determine airflow:

Given: $P_d = 14.29 \text{ W}$ and $T_a = 40 \text{ }^{\circ}\text{C}$

Check above Power de-rating curve:

minimum airflow= 400 LFM (2.0 m/s)

Thermal Resistance vs Air Flow

| Air Flow Rate | Typical R_{ca} |
|---------------------------------------|------------------|
| Natural Convection 20 LFM (0.1 ms) | 7.12 °C/W |
| 100 LFM (0.5 ms) | 6.21 °C/W |
| 200 LFM (1.0 ms) | 5.17 °C/W |
| 300 LFM (1.5 ms) | 4.29 °C/W |
| 400 LFM (2.0 ms) | 3.64 °C/W |
| 500 LFM (2.5 ms) | 2.96 °C/W |
| 600 LFM (3.0 ms) | 2.53 °C/W |
| 700 LFM (3.5 ms) | 2.37 °C/W |
| 800 LFM (4.0 ms) | 2.19 °C/W |

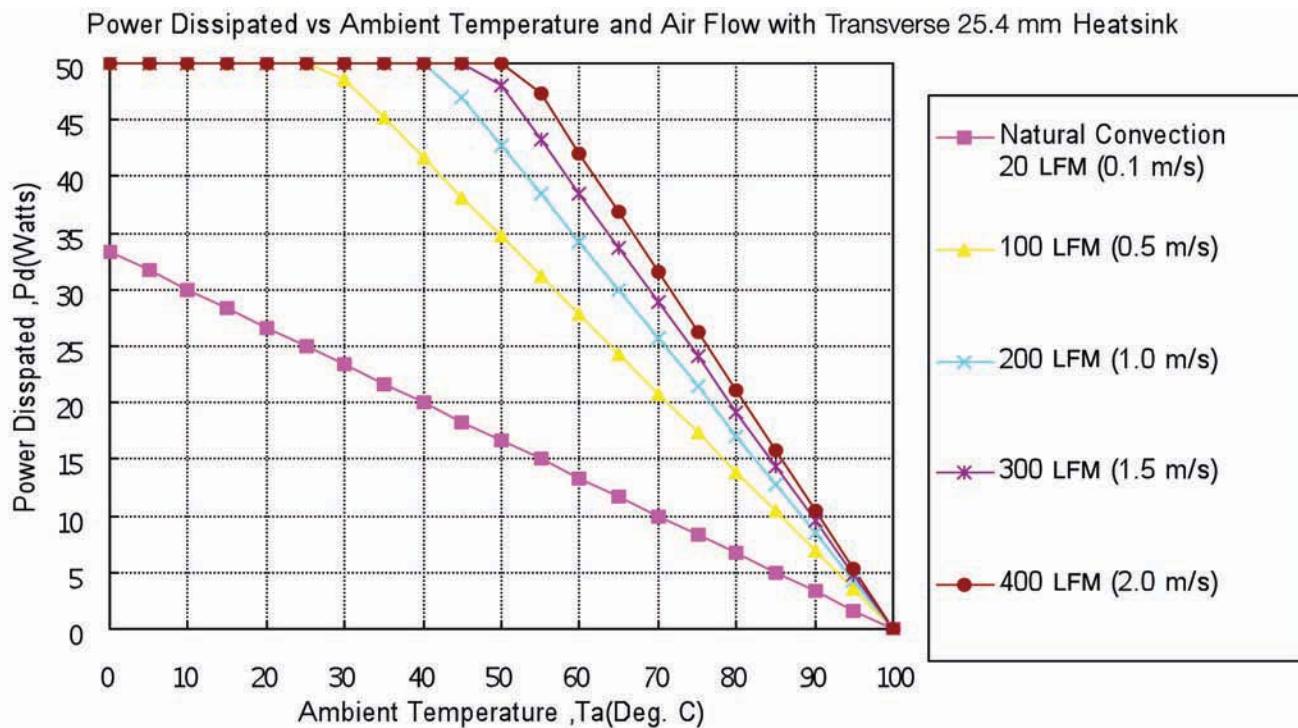
Verification: Maximum temperature rise $\Delta T = P_d \times R_{ca} = 14.29 \times 3.64 = 52 \text{ }^{\circ}\text{C}$

Maximum case temperature $T_c = T_a + \Delta T = 92 \text{ }^{\circ}\text{C} < 100 \text{ }^{\circ}\text{C}$

Where: R_{ca} is thermal resistance from case to ambient.

T_a is ambient temperature and T_c is the case temperature.

Derating Curve...cont.



Example

What is the minimum airflow necessary for a ICH15048S05 operating at nominal line, an output current of 30A, and a maximum ambient temperature of 40°C?

Solution:

Determine Power dissipation (Pd):

$$P_d = P_i - P_o = P_o(1 - \eta)/\eta$$

$$P_d = 5 \times 30 \times (1 - 0.84) / 0.84 = 28.57 \text{ W}$$

Determine airflow:

$$\text{Given: } P_d = 28.57 \text{ W and } T_a = 40^\circ\text{C}$$

Check above Power de-rating curve:

$$\text{minimum airflow} = 100 \text{ LFM (0.5 m/s)}$$

Verification: The maximum temperature rise $\Delta T = P_d \times R_{ca} = 28.57 \times 1.44 = 41.14^\circ\text{C}$

$$\text{The maximum case temperature } T_c = T_a + \Delta T = 81.14^\circ\text{C} < 100^\circ\text{C}$$

Where: R_{ca} is thermal resistance from case to ambient.

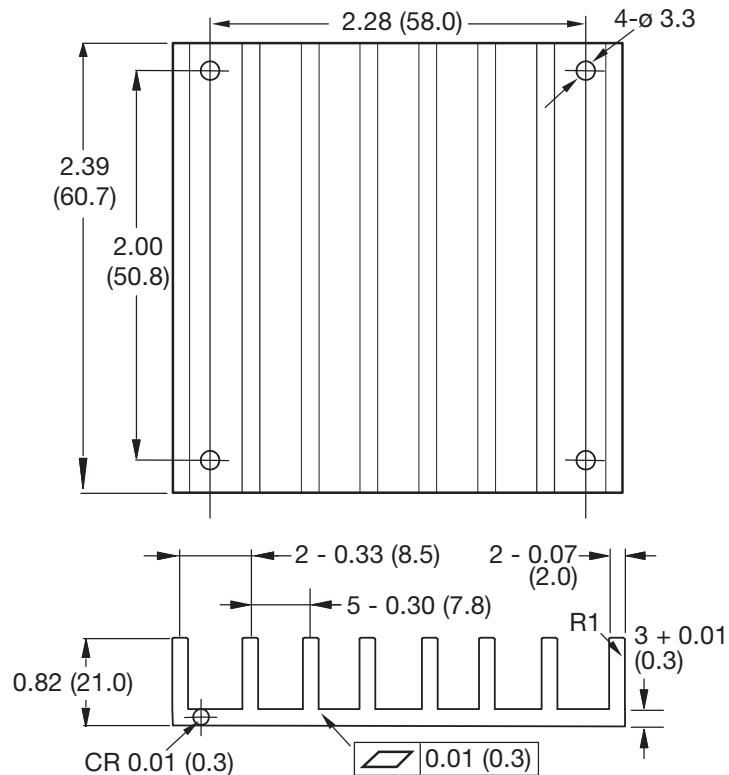
T_a is ambient temperature and T_c is the case temperature.

Thermal Resistance vs Air Flow

| Air Flow Rate | Typical R_{ca} |
|---------------------------------------|------------------|
| Natural Convection 20 LFM (0.1 ms) | 3.0 °C/W |
| 100 LFM (0.5 ms) | 1.44 °C/W |
| 200 LFM (1.0 ms) | 1.17 °C/W |
| 300 LFM (1.5 ms) | 1.04 °C/W |
| 400 LFM (2.0 ms) | 0.95 °C/W |

Half Brick Heat Sinks

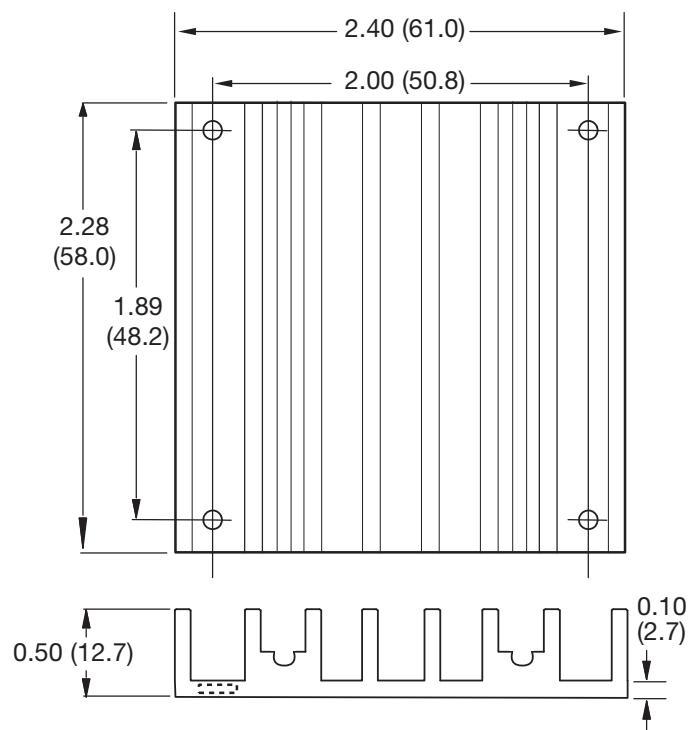
Longitudinal Heat Sink



Rca:

3.90 °C/W (typ.), natural convection
1.74 °C/W (typ.), at 100 LFM
1.33 °C/W (typ.), at 200 LFM
1.12 °C/W (typ.), at 300 LFM
0.97 °C/W (typ.), at 400 LFM

Transverse Heat Sink

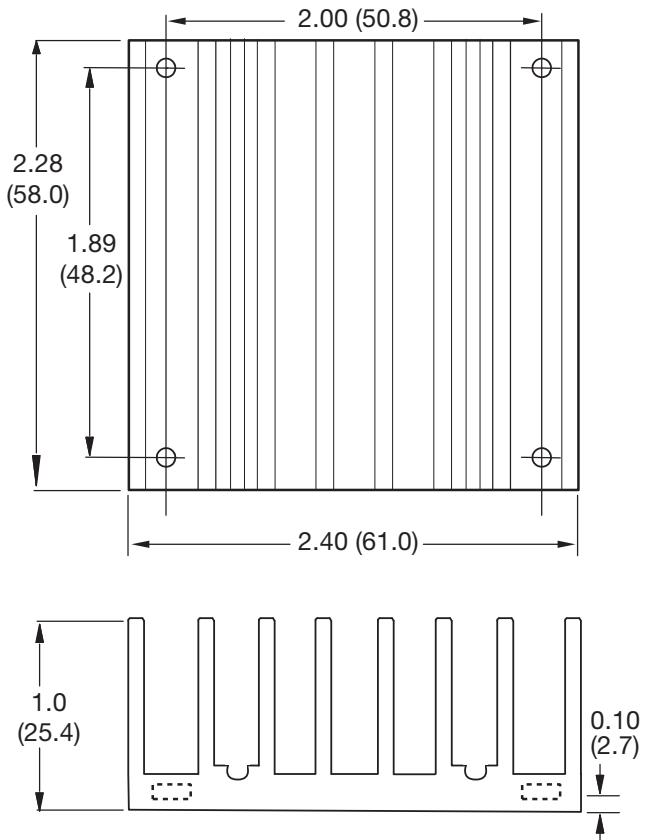


Rca:

4.70 °C/W (typ.), natural convection
2.89 °C/W (typ.), at 100 LFM
2.30 °C/W (typ.), at 200 LFM
1.88 °C/W (typ.), at 300 LFM
1.59 °C/W (typ.), at 400 LFM

Half Brick Heat Sinks...cont.

Transverse Heat Sink



R_{ca}:

3.00 °C/W (typ.), natural convection
1.44 °C/W (typ.), at 100 LFM
1.17 °C/W (typ.), at 200 LFM
1.04 °C/W (typ.), at 300 LFM
0.95 °C/W (typ.), at 400 LFM